

Package ‘RandomCorMatrix’

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Type Package

Title Random Correlation Matrix

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Description Generate random correlation matrices with correlations in (0,1)
or (-1,1), with goal of specifying one moment or two moments.

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Depends R (>= 3.3)

Encoding UTF-8

LazyData true

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beta_mom2ab	<i>Beta distributions : method of moments estimation</i>
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Description

Beta(a,b) on (0,1) or (-1,1): map from moments (mean, SD) to (a,b)

Usage

```
beta_mom2ab(mu, s, imp1=FALSE)
```

Arguments

mu	mean parameter, could be sample mean of data
s	SD parameter, could be sample SD of data
imp1	indicator of minus/plus1, TRUE if interval is (-1,1), FALSE if (0,1). Note that $s^2 < 1 - \mu^2$ for (-1,1) and $s^2 < \mu*(1-\mu)$ for (0,1)

Value

list with (a,b,a+b) where a,b come from method of moments estimation

Examples

```
beta_mom2ab(0.4, 0.2, imp1=TRUE)
beta_mom2ab(0.4, 0.2, imp1=FALSE)
```

corvec2mat	<i>Convert from correlations in vector form to a correlation matrix</i>
------------	---

Description

Convert from correlations in vector form to a correlation matrix

Usage

```
corvec2mat(rvec)
```

Arguments

rvec	correlations in vector form of length $d*(d-1)/2$ in the order r12,r13,r23,r14,... r[d-1,d]
------	--

Value

dxd correlation matrix

Examples

```
rvec = c(0.3,0.4,0.5,0.4,0.6,0.7)
Rmat = corvec2mat(rvec)
print(Rmat) # column 1 has 1, 0.3, 0.4, 0.4
# example from rposcorr_2mom which outputs one triangle of correlation matrix
a1 = 4.0; b1 = 8.0; d = 4
out2pos = rposcorr_2mom(3,d,a1,b1,123,1)
colnames(out2pos) = c("r12","r13","r23","r14","r24","r34")
print(out2pos)
print(corvec2mat(out2pos[1,]))
print(corvec2mat(out2pos[2,]))
```

get2betapars_mp1	<i>Recursion for $a[\ell]$, $b[\ell]$ of Beta random variables in $(-1,1)$ for partial correlations in row/tree ℓ starting from Beta($a1,b1$) distribution in $(-1,1)$ for correlations in row 1 of C-vine, so that all correlations have mean and SD of a Beta($a1,b1$) random variable in $(-1,1)$</i>
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Description

Get $(a[\ell], b[\ell])$ for Beta parameters of random partial correlations in tree $\ell=2, \dots, K$, starting from Beta($a1, b1$) in $(-1,1)$ in row 1 of C-vine, for the goal to have constant $E(R_{[\ell, \ell+1]})$ and $E(R^2_{[\ell, \ell+1]})$ by C-vine tree

Usage

```
get2betapars_mp1(a1,b1,K, iprint=FALSE)
```

Arguments

a1	Beta parameter for correlations in C-vine tree 1
b1	Beta parameter for correlations in C-vine tree 1
K	integer ≥ 2 , simulate random correlation matrices to dimension K K=2 get Beta parameter for $R_{[23;1]}$, K=3 get Beta parameters for $R_{[23;1]}$, $R_{[34;12]}$, K general: get Beta parameters for $R_{[23;1]}, \dots, R_{[K, K+1; 1 \dots K-1]}$
iprint	TRUE for intermediate prints at tree levels

Value

Kx2 matrix with Beta parameters avec,bvec; feasibility to row i, where $i \leq K$; avec $[(i+1):K]=0$ and bvec $[(i+1):K]=0$ if not feasible

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
ab = get2betapars_mp1(a1=2,b1=2, 3, iprint=TRUE); print(ab)
ab = get2betapars_mp1(a1=1,b1=1, 3, iprint=TRUE) # fails at 3
ab = get2betapars_mp1(a1=1,b1=0.5, 3, iprint=TRUE) # fails at R_{34}
ab = get2betapars_mp1(a1=1,b1=2, 3, iprint=TRUE) # fails at R_{34}
ab = get2betapars_mp1(a1=5,b1=5, 6, iprint=TRUE)
ab = get2betapars_mp1(a1=5,b1=5, 10, iprint=TRUE)
ab = get2betapars_mp1(a1=5,b1=5, 12, iprint=TRUE) # fails at 11
ab = get2betapars_mp1(a1=8,b1=5, 6, iprint=TRUE); print(ab)
ab = get2betapars_mp1(a1=5,b1=8, 6, iprint=TRUE) # fails at 4
ab = get2betapars_mp1(a1=6,b1=4.8, 6, iprint=TRUE)
ab = get2betapars_mp1(a1=8,b1=6.4, 6, iprint=TRUE)
```

get2betapars_pos	<i>Recursion for $a[\text{ell}]$, $b[\text{ell}]$ of Beta random variables in $(0,1)$ for partial correlations in row/tree ell starting from positive Beta($a1,b1$) distribution for correlations in row 1 of C-vine, so that all correlations have mean and SD of a Beta($a1,b1$) random variable in $(0,1)$</i>
------------------	---

Description

Get $(a[\text{ell}], b[\text{ell}])$ for Beta parameters of random partial correlations in tree $\text{ell}=2, \dots, K$, starting from Beta($a1, b1$) in $(0,1)$ in row 1 of C-vine, for the goal to have constant $E(R_{[\text{ell}, \text{ell}+1]})$ and $E(R^2_{[\text{ell}, \text{ell}+1]})$ by C-vine tree

Usage

```
get2betapars_pos(a1,b1,K, iprint=FALSE)
```

Arguments

a1	Beta parameter for correlations in C-vine tree 1
b1	Beta parameter for correlations in C-vine tree 1
K	integer ≥ 2 , simulate random correlation matrices to dimension K K=2 get Beta parameter for $R_{[23;1]}$, K=3 get Beta parameters for $R_{[23;1]}$, $R_{[34;12]}$, K general: get Beta parameters for $R_{[23;1]}, \dots, R_{[K, K+1; 1 \dots K-1]}$
iprint	TRUE for intermediate prints at tree levels

Value

Kx2 matrix with Beta parameters avec,bvec; feasibility to row i, where $i \leq K$; avec $[(i+1):K]=0$ and bvec $[(i+1):K]=0$ if not feasible

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
ab = get2betapars_pos(a1=2,b1=2, 3, iprint=TRUE); print(ab)
ab = get2betapars_pos(a1=1,b1=1, 3, iprint=TRUE); print(ab)
ab = get2betapars_pos(a1=1,b1=0.5, 3, iprint=TRUE) # fails for R_{34}
ab = get2betapars_pos(a1=1,b1=2, 3, iprint=TRUE)
ab = get2betapars_pos(a1=0.5,b1=0.5, 3, iprint=TRUE) # fails for R_{34}
ab = get2betapars_pos(a1=5,b1=5, 6, iprint=TRUE)
ab = get2betapars_pos(a1=5,b1=5, 10, iprint=TRUE)
ab = get2betapars_pos(a1=5,b1=5, 14, iprint=TRUE)
ab = get2betapars_pos(a1=5,b1=8, 6, iprint=TRUE)
```

getbetapars_mp1	<i>With $a[ell]=a1$, recursion for second parameter $b[ell]$ of Beta random variables in $(-1,1)$ for partial correlations in row/tree ell starting from Beta($a1,b$) distribution in $(-1,1)$ for correlations in row 1 of C-vine, so that all correlations have mean $2*a1/(a1+b)-1$</i>
-----------------	---

Description

Get $\mu[ell]$ and $b[ell]$, with $a[ell]=a1$, for Beta parameters of random partial correlations in row/tree $ell=2,\dots,K$, starting from Beta($a1,b$) in $(-1,1)$ in row 1, for the goal that all correlations have mean $2*a1/(a1+b)-1$

Usage

```
getbetapars_mp1(a1,b,K,iprint=FALSE)
```

Arguments

a1	first parameter Beta($a1,b$) on $(-1,1)$ for correlation in tree/row 1
b	second parameter Beta($a1,b$) on $(-1,1)$ for correlation in tree/row 1
K	desired level: simulate random correlation matrices to dimension K
iprint	TRUE for intermediate prints at tree levels

Value

(muvec,bvec) as 2-column matrix: muvec is vector of mean parameters for random partial correlations in trees 2 to ell, $ell \leq K$ if K is not feasible; bvec is vector of second Beta parameter if considering Beta($a1,bvec[ell]$) for partial correlation in tree ell

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
tem1 = getbetapars_mp1(a1=3,b=2,K=8,iprint=TRUE)
tem2 = getbetapars_mp1(a1=4,b=2,K=8,iprint=TRUE)
tem3 = getbetapars_mp1(a1=6,b=2,K=8,iprint=TRUE)
```

getbetapars_pos	<i>With $a[ell]=a1$, recursion for second parameter $b[ell]$ of Beta random variables in $(0,1)$ for partial correlations in row/tree ell starting from positive Beta($a1,b$) distribution for correlations in row 1 of C-vine, so that all correlations have mean $a1/(a1+b)$</i>
-----------------	--

Description

Get $\mu[ell]$ and $b[ell]$, with $a[ell]=a1$, for Beta parameters of random partial correlations in row/tree $ell=2,\dots,K$, starting from Beta($a1,b$) in $(0,1)$ in row 1, for the goal that all correlations have mean $a1/(a1+b)$

Usage

```
getbetapars_pos(a1,b,K,iprint=FALSE)
```

Arguments

a1	first parameter Beta($a1,b$) on $(0,1)$ for correlation in tree/row 1
b	second parameter Beta($a1,b$) on $(0,1)$ for correlation in tree/row 1
K	desired level: simulate random correlation matrices to dimension K
iprint	TRUE for intermediate prints at tree levels

Value

(muvec,bvec) as 2-column matrix: muvec is vector of mean parameters for random partial correlations in trees 2 to ell, $ell \leq K$ if K is not feasible; bvec is vector of second Beta parameter if considering Beta($a1,bvec[ell]$) for positive partial correlation in tree ell. For the method of allowing some negative partial correlations, use muvec and not bvec.

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
tem1 = getbetapars_pos(a1=1,b=1,K=6,iprint=TRUE)
tem2 = getbetapars_pos(a1=1,b=0.5,K=6,iprint=TRUE)
tem3 = getbetapars_pos(a1=1,b=0.36,K=6,iprint=TRUE) # increasing bvec
tem4 = getbetapars_pos(a1=1,b=0.35,K=6,iprint=TRUE) # bvec decreasing to 0
tem4b = getbetapars_pos(a1=1,b=0.35,K=7,iprint=TRUE) # message mu_new>=1
tem5 = getbetapars_pos(a1=1,b=0.35,K=12,iprint=TRUE) # stops at 7
tem6 = getbetapars_pos(a1=2,b=0.32,K=12,iprint=TRUE) # stops at 4
```

moments_mp1	<i>For $R=B$ with $B \sim \text{Beta}(a,b)$ on $(-1,1)$, get 4 moments</i>
-------------	---

Description

For $R=B$ with $B \sim \text{Beta}(a,b)$ on $(-1,1)$, get 4 moments

Usage

```
moments_mp1(a,b)
```

Arguments

a	Beta distribution first parameter
b	Beta distribution second parameter

Value

6-vector (a, b, mu, gam, nu, eta) where $\mu=E(B)$, $\text{gam}=E[\sqrt{1-B^2}]$, $\text{nu}=E(B^2)$, $\text{eta}=E[B*\sqrt{1-B^2}]$

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines
Journal of Multivariate Analysis

moments_pos	<i>For $R=B$ with $B \sim \text{Beta}(a,b)$ on $(0,1)$, get 4 moments</i>
-------------	--

Description

For $R=B$ with $B \sim \text{Beta}(a,b)$ on $(0,1)$, get 4 moments

Usage

```
moments_pos(a,b)
```

Arguments

- a Beta distribution first parameter
- b Beta distribution second parameter

Value

6-vector (a, b, mu, gam, nu, eta) where $\mu=E(B)$, $\text{gam}=E[\sqrt{1-B^2}]$, $\text{nu}=E(B^2)$, $\text{eta}=E[B*\sqrt{1-B^2}]$

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines
Journal of Multivariate Analysis

pcor2cor_cvine	<i>Generate correlation matrix based on partial correlation C-vine</i>
----------------	--

Description

Generate correlation matrix based on partial correlation C-vine

Usage

pcor2cor_cvine(pc)

Arguments

- pc dxd array with partial correlation $\rho_{[jk;1:(j-1)]}$ in position (j,k) for $j < k$

Value

dxd correlation matrix

Examples

See help pages for rcormat_posC and rcormat_mp1C

qqbeta	<i>QQ plot for Beta(a,b) distribution on (0,1) or (-1,1)</i>
--------	--

Description

QQ plot for Beta(a,b) distribution on (0,1) or (-1,1)

Usage

```
qqbeta(x, a, b, pos1=0, pos2=0)
```

Arguments

x	data vector on (0,1) or (-1,1)
a	alpha parameter>0
b	beta parameter>0
pos1	first subscript of correlation
pos2	second subscript of correlation

Value

a QQ plot is produced, 0 is returned

Examples

```
set.seed(1234)
n = 1000
x = rbeta(n,3,2)
mn = mean(x); s = sd(x)
ab = beta_mom2ab(mn,s)
qqbeta(x,ab[1],ab[2])
set.seed(12343)
n = 1000
x = 2*rbeta(n,5,3)-1
mn = mean(x); s = sd(x)
ab = beta_mom2ab(mn,s,imp1=TRUE)
qqbeta(x,ab[1],ab[2])
```

rcormat_mp1C

*Generate dxd correlation matrix with partial correlation C-vine.***Description**

Random correlation matrix via partial correlation C-vine

Usage

```
rcormat_mp1C(d, avec, bvec, ipermute=TRUE)
```

Arguments

d	dimension ≥ 3
avec	vector of dimension d-1, first parameter of Beta(a_ell,b_ell) in (-1,1) by tree 1 to d-1
bvec	vector of dimension d-1, second parameter Beta distribution in (-1,1) by tree 1 to d-1
ipermute	permute flag, if TRUE random row/column permutation is applied

Value

dxd positive correlation matrix, if TRUE row/column permutation is applied See rmp1corr_1mom and rmp1corr_2mom to generate many correlation matrices via Fortran90

Examples

```
# correlations in (-1,1) given mu
d = 4
mat = matrix(1:d^2,d,d)
iupper = upper.tri(mat)
a1 = 3; b1 = 2
mubobj = getbetapars_mp1(a1,b1,d-1,iprint=FALSE)
print(mubobj)
avec = rep(a1,d-1)
bvec = mubobj[, 'bvec']
nsim = 500
set.seed(1234)
out1_mp1 = matrix(0,nsim,d*(d-1)/2)
for(isim in 1:nsim)
{ rr = rcormat_mp1C(d,avec,bvec,ipermute=TRUE)
  out1_mp1[isim,] = rr[iupper]
}
print(rr)
colnames(out1_mp1) = c("r12","r13","r23","r14","r24","r34")
print(summary(out1_mp1))
print(apply(out1_mp1,2,sd))
# mp1 given 2 moments
```

```

a1 = 8; b1 = 5
mubobj = get2betapars_mp1(a1,b1,d-1,iprint=FALSE)
print(mubobj)
avec = mubobj[, 'a']
bvec = mubobj[, 'b']
nsim = 500
set.seed(1234)
out2_mp1 = matrix(0,nsim,d*(d-1)/2)
for(isim in 1:nsim)
{ rr = rcormat_mp1C(d,avec,bvec,ipermute=TRUE)
  out2_mp1[isim,] = rr[iupper]
}
colnames(out2_mp1) = c("r12","r13","r23","r14","r24","r34")
print(summary(out2_mp1))
print(apply(out2_mp1,2,sd))

```

rcormat_posC	<i>Generate dxd correlation matrix with all positive correlations via positive partial correlation C-vine.</i>
--------------	--

Description

Random positive correlation matrix via positive partial correlation C-vine

Usage

```
rcormat_posC(d, avec, bvec, ipermute=TRUE)
```

Arguments

d	dimension ≥ 3
avec	vector of dimension d-1, first parameter of Beta(a_ell,b_ell) by tree 1 to d-1
bvec	vector of dimension d-1, second parameter Beta distribution by tree 1 to d-1
ipermute	permute flag, if TRUE random row/column permutation is applied

Value

dxd positive correlation matrix; See rposcorr_1mom and rposcorr_2mom to generate many correlation matrices via Fortran90

Examples

```

# positive given mu
d = 4
mat = matrix(1:d^2,d,d)
iupper = upper.tri(mat)
a1 = 1; b1 = 3
mubobj = getbetapars_pos(a1,b1,d-1,iprint=FALSE)

```

```

print(mubobj)
avec = rep(a1,d-1)
bvec = mubobj[, 'bvec']
nsim = 100
set.seed(1234)
out1_pos = matrix(0,nsim,d*(d-1)/2)
for(isim in 1:nsim)
{ rr = rcormat_posC(d,avec,bvec,ipermute=TRUE)
  out1_pos[isim,] = rr[iupper]
}
print(rr)
colnames(out1_pos) = c("r12","r13","r23","r14","r24","r34")
print(summary(out1_pos))
print(apply(out1_pos,2,sd))
# positive given 2 moments
a1 = 4; b1 = 8
mubobj = get2betapars_pos(a1,b1,d-1,iprint=FALSE)
print(mubobj)
avec = mubobj[, 'a']
bvec = mubobj[, 'b']
nsim = 100
set.seed(1234)
out2_pos = matrix(0,nsim,d*(d-1)/2)
for(isim in 1:nsim)
{ rr = rcormat_posC(d,avec,bvec,ipermute=TRUE)
  out2_pos[isim,] = rr[iupper]
}
colnames(out2_pos) = c("r12","r13","r23","r14","r24","r34")
print(summary(out2_pos))
print(apply(out2_pos,2,sd))

```

recursion_mpl	<i>Recursion for mean and second moment for random correlations in $(-1,1)$ by tree of C-vine</i>
---------------	--

Description

Recursion for mean and second moment for random correlations in $(-1,1)$ by tree

Usage

```
recursion_mpl(avec, bvec, iprint=FALSE)
```

Arguments

avec	positive vector length $d-1 \geq 2$; avec[ell] is first Beta parameter for partial correlation in tree ell
bvec	positive vector length $d-1 \geq 2$; bvec[ell] is second Beta parameter for partial correlation in tree ell
iprint	TRUE for intermediate prints

Value

matrix with columns a, b, ER, ER2, SD, ER_aperm, SD_aperm with row length = length(bvec); aperm means after random permutation. The output can be used for correlation matrices up to length(bvec)

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines
Journal of Multivariate Analysis

Examples

```
out = recursion_mp1(avec=rep(1,11), bvec=seq(1,6,0.5), iprint=TRUE)
```

recursion_pos	<i>Recursion for mean and second moment for random correlations in (0,1) by tree of C-vine</i>
---------------	--

Description

Recursion for mean and second moment for random correlations in (0,1) by tree

Usage

```
recursion_pos(avec, bvec, iprint=FALSE)
```

Arguments

avec	positive vector length $d-1 \geq 2$; avec[ell] is first Beta parameter for partial correlation in tree ell
bvec	positive vector length $d-1 \geq 2$; bvec[ell] is second Beta parameter for partial correlation in tree ell
iprint	TRUE for intermediate prints

Value

matrix with columns a, b, ER, ER2, SD, ER_aperm, SD_aperm with row length = length(bvec); aperm means after random permutation. The output can be used for correlation matrices up to length(bvec)

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines
Journal of Multivariate Analysis

Examples

```
out = recursion_pos(avec=rep(1,11), bvec=seq(1,6,0.5), iprint=TRUE)
bb = c(1,1.467401,2.062294,2.748234,3.496715,4.288931,5.112821,5.96039)
out = recursion_pos(avec=rep(1,8), bvec=bb, iprint=TRUE)
```

rmp1corr_1mom	<i>Generate random correlation matrices with C-vine partial correlations, fixed mean</i>
---------------	--

Description

Generate random correlation matrices with C-vine partial correlations with aim of a fixed mean for all correlations

Usage

```
rmp1corr_1mom(nsim,d,a1,b,seed,ipermute=TRUE)
```

Arguments

nsim	number of simulations
d	dimension of correlation matrix, ≥ 3
a1	first parameter of Beta(a1,b) random variable in (-1,1) for row 1
b	second parameter of Beta(a1,b) random variable in (-1,1) for row 1; aim is for mean correlation value of $2*a1/(a1+b)-1$
seed	positive integer seed for fortran90 code
ipermute	permute flag, TRUE (default) for random row/column permutation

Details

Loop is done through link to Fortran90 code

Value

If input (d,a1,b) is feasible, output matrix nsim by $d(d-1)/2$, each row has a correlation matrix with lower triangle by row; r12, r13, r23, r14, ..., r[d-1,d]. If input (d,a1,b) is infeasible, output is 0.

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
# failed case
rmp1corr_1mom(5,6,2.,3.0,123)
# good case
a1 = 3.0; b = 2.0; d = 4
out1mp1 = rmp1corr_1mom(1000,d,a1,b,123,1)
print(apply(out1mp1,2,summary))
print(apply(out1mp1,2,sd))
mubobj = getbetapars_mp1(a1,b,d-1,iprint=FALSE)
avec = rep(a1,d-1)
bvec = mubobj[, 'bvec']
recur = recursion_mp1(rep(a1,d-1),mubobj[, 'bvec'])
print(recur)
s = recur[d-1,7] # theoretical SD after permutation
mn = recur[d-1,6]
cat("theoretical mean/s", mn,s,"\n")
```

rmp1corr_2mom	<i>Generate random correlation matrix with C-vine partial correlations, with fixed mean and SD</i>
---------------	--

Description

Generate random correlation matrix with C-vine partial correlations with aim of a fixed mean and a fixed SD for all correlations

Usage

```
rmp1corr_2mom(nsim,d,a1,b1,seed,ipermute=TRUE)
```

Arguments

nsim	number of simulations
d	dimension of correlation matrix, ≥ 3
a1	first parameter of Beta(a1,b1) random variable in (-1,1) for row 1
b1	second parameter of Beta(a1,b1) random variable in (-1,1) for row 1; aim is for mean correlation value of $2*\mu_0-1$ and variance $4*\mu_0*(1-\mu_0)/(a1+b1+1)$ where $\mu_0 = a1/(a1+b1)$
seed	positive integer seed for fortran90 code
ipermute	permute flag, TRUE (default) for random row/column permutation

Details

Loop is done through link to Fortran90 code

Value

If input (d,a1,b1) is feasible, output matrix nsim by $d(d-1)/2$, each row has a correlation matrix with lower triangle by row; r12, r13, r23, r14, ..., r[d-1,d]. If input (d,a1,b1) is infeasible, output is 0.

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
# failed case
rmp1corr_2mom(5,4,1.0,0.6,123)
# good case
a1 = 8.0; b1 = 5.0; d = 4
out2mp1 = rmp1corr_2mom(1000,4,a1,b1,123,1)
print(apply(out2mp1,2,summary))
print(apply(out2mp1,2,sd))
thmn = a1/(a1+b1)
thvar = thmn*(1-thmn)/(a1+b1+1)
cat("theoretical mean/s", 2*thmn-1, 2*sqrt(thvar),"\n")
colnames(out2mp1) = c("r12","r13","r23","r14","r24","r34")
rcor = cor(out2mp1)
print(round(rcor,3))
par(mfrow=c(3,3))
qqbeta(out2mp1[,1],a1,b1,1,2)
qqbeta(out2mp1[,2],a1,b1,1,3)
qqbeta(out2mp1[,3],a1,b1,2,3)
qqbeta(out2mp1[,4],a1,b1,1,4)
qqbeta(out2mp1[,5],a1,b1,2,4)
qqbeta(out2mp1[,6],a1,b1,3,4)
```

rposcorr_1mom

Generate random correlation matrices with all positive values based on C-vine with positive partial correlations, fixed mean

Description

Generate random correlation matrices with all positive values based on C-vine with positive partial correlations, with aim of a fixed mean for all correlations

Usage

```
rposcorr_1mom(nsim,d,a1,b,seed,ipermute=TRUE)
```

Arguments

nsim	number of simulations
d	dimension of correlation matrix, ≥ 3
a1	first parameter of Beta(a1,b) random variable in (0,1) for row 1
b	second parameter of Beta(a1,b) random variable in (0,1) for row 1; aim is for mean correlation value of $a1/(a1+b)$
seed	positive integer seed for fortran90 code
ipermute	permute flag, TRUE (default) for random row/column permutation

Details

Loop is done through link to Fortran90 code

Value

If input (d,a1,b) is feasible, output matrix nsim by $d(d-1)/2$, each row has a correlation matrix with lower triangle by row; r12, r13, r23, r14, ..., r[d-1,d]. If input (d,a1,b) is infeasible, output is 0.

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
# failed case
rposcorr_1mom(5,4,1.0,0.3,123)
# good case
a1 = 1.5; b = 0.5; d = 6
out1pos = rposcorr_1mom(1000,d,a1,b,123,1)
print(apply(out1pos,2,summary))
print(apply(out1pos,2,sd))
mubobj = getbetapars_pos(a1,b,d-1,iprint=FALSE)
print(mubobj)
avec = rep(a1,d-1)
bvec = mubobj[, 'bvec']
recur = recursion_pos(rep(a1,d-1),mubobj[, 'bvec'])
print(recur)
s = recur[d-1,7] # theoretical SD after permutation
mn = recur[d-1,6]
cat("theoretical mean/s", mn,s,"\n")
```

rposcorr_2mom	<i>Generate random correlation matrices with all positive values based on C-vine with positive partial correlations, fixed mean and SD</i>
---------------	--

Description

Generate random correlation matrices with all positive values based on C-vine with positive partial correlations, with aim of a fixed mean and a fixed SD for all correlations

Usage

```
rposcorr_2mom(nsim,d,a1,b1,seed,ipermute=TRUE)
```

Arguments

nsim	number of simulations
d	dimension of correlation matrix, ≥ 3
a1	first parameter of Beta(a1,b1) random variable in (0,1) for row 1
b1	second parameter of Beta(a1,b1) random variable in (0,1) for row 1; aim is for mean correlation value of $\mu = a1/(a1+b1)$ and variance $\mu*(1-\mu)/(a1+b1+1)$
seed	positive integer seed for fortran90 code
ipermute	permute flag, TRUE (default) for random row/column permutation

Details

Loop is done through link to Fortran90 code

Value

If input (d,a1,b1) is feasible, output matrix nsim by $d(d-1)/2$, each row has a correlation matrix with lower triangle by row; r12, r13, r23, r14, ..., r[d-1,d]. If input (d,a1,b1) is infeasible, output is 0.

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
# failed case
rposcorr_2mom(5,4,1.0,0.5,123)
# good case
a1 = 4.0; b1 = 8.0; d = 4
out2pos = rposcorr_2mom(1000,d,a1,b1,123,1)
print(apply(out2pos,2,summary))
print(apply(out2pos,2,sd))
thmn = a1/(a1+b1)
```

```

thvar = thmn*(1-thmn)/(a1+b1+1)
cat("theoretical mean/s", thmn,sqrt(thvar),"\n")
colnames(out2pos) = c("r12","r13","r23","r14","r24","r34")
rcor = cor(out2pos)
print(round(rcor,3))
par(mfrow=c(3,3))
qqbeta(out2pos[,1],a1,b1,1,2)
qqbeta(out2pos[,2],a1,b1,1,3)
qqbeta(out2pos[,3],a1,b1,2,3)
qqbeta(out2pos[,4],a1,b1,1,4)
qqbeta(out2pos[,5],a1,b1,2,4)
qqbeta(out2pos[,6],a1,b1,3,4)

```

rposcorr_method2	<i>Generate random correlation matrix with all positive values based on C-vine with distribution of partial correlations conditional on previous trees</i>
------------------	--

Description

Generate random correlation matrix with all positive values based on C-vine with distribution of partial correlations conditional on previous trees

Usage

```
rposcorr_method2(nsim,d,a1,b1,seed,afix=0,ipermute=TRUE)
```

Arguments

nsim	number of simulations
d	dimension of correlation matrix, ≥ 4
a1	first parameter of Beta(a1,b1) random variable in (0,1) for row 1
b1	second parameter of Beta(a1,b1) random variable in (0,1) for row 1
seed	positive integer seed for fortran90 code
afix	fixed first parameter for Beta random variables in trees 2 to d-1, default will set afix=a1
ipermute	permute flag, TRUE (default) for random row/column permutation

Details

Loop is done through link to Fortran90 code

Value

If input (d,a1,b1) is feasible, output matrix nsim by $d(d-1)/2$, each row has a correlation matrix with lower triangle by row; r12, r13, r23, r14, ..., r[d-1,d]. Rows with $r[d-1,d] \geq 1$ are rejection cases; do not keep them. Use a small nsim value to check if acceptance rate is high. If input (d,a1,b1) is infeasible, output is 0.

References

Joe and Kurowicka (2026), Random correlation matrices generated via partial correlation C-vines. Journal of Multivariate Analysis. <https://doi.org/10.1016/j.jmva.2025.105519>

Examples

```
d = 5; a1 = 2; b1 = 3; seed = 123; dd = d*(d-1)/2
out5 = rposcorr_method2(nsim=500,d,a1,b1,seed)
colnames(out5) = c("r12","r13","r23","r14","r24","r34","r15","r25","r35","r45")
iok = which(out5[,dd]<1)
out5 = out5[iok,]
print(dim(out5))
print(apply(out5,2,summary))
print(apply(out5,2,sd))
thmn = a1/(a1+b1)
thvar = thmn*(1-thmn)/(a1+b1+1)
cat("If high acceptance rate, theoretical mean/s", thmn,sqrt(thvar),"\\n")
rcor = cor(out5)
print(round(rcor,3))
par(mfrow=c(3,3))
qqbeta(out5[,1],a1,b1,1,2)
qqbeta(out5[,2],a1,b1,1,3)
qqbeta(out5[,3],a1,b1,2,3)
qqbeta(out5[,4],a1,b1,1,4)
qqbeta(out5[,5],a1,b1,2,4)
qqbeta(out5[,6],a1,b1,3,4)
qqbeta(out5[,7],a1,b1,1,5)
qqbeta(out5[,8],a1,b1,2,5)
qqbeta(out5[,9],a1,b1,3,5)
```

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